

4th International Symposium on Lightning Physics & Effects,
Vienna, Austria, 25th – 27th May 2009

Role of Channel Conductance and Corona Sheath on Return Stroke Current Evolution

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Introduction

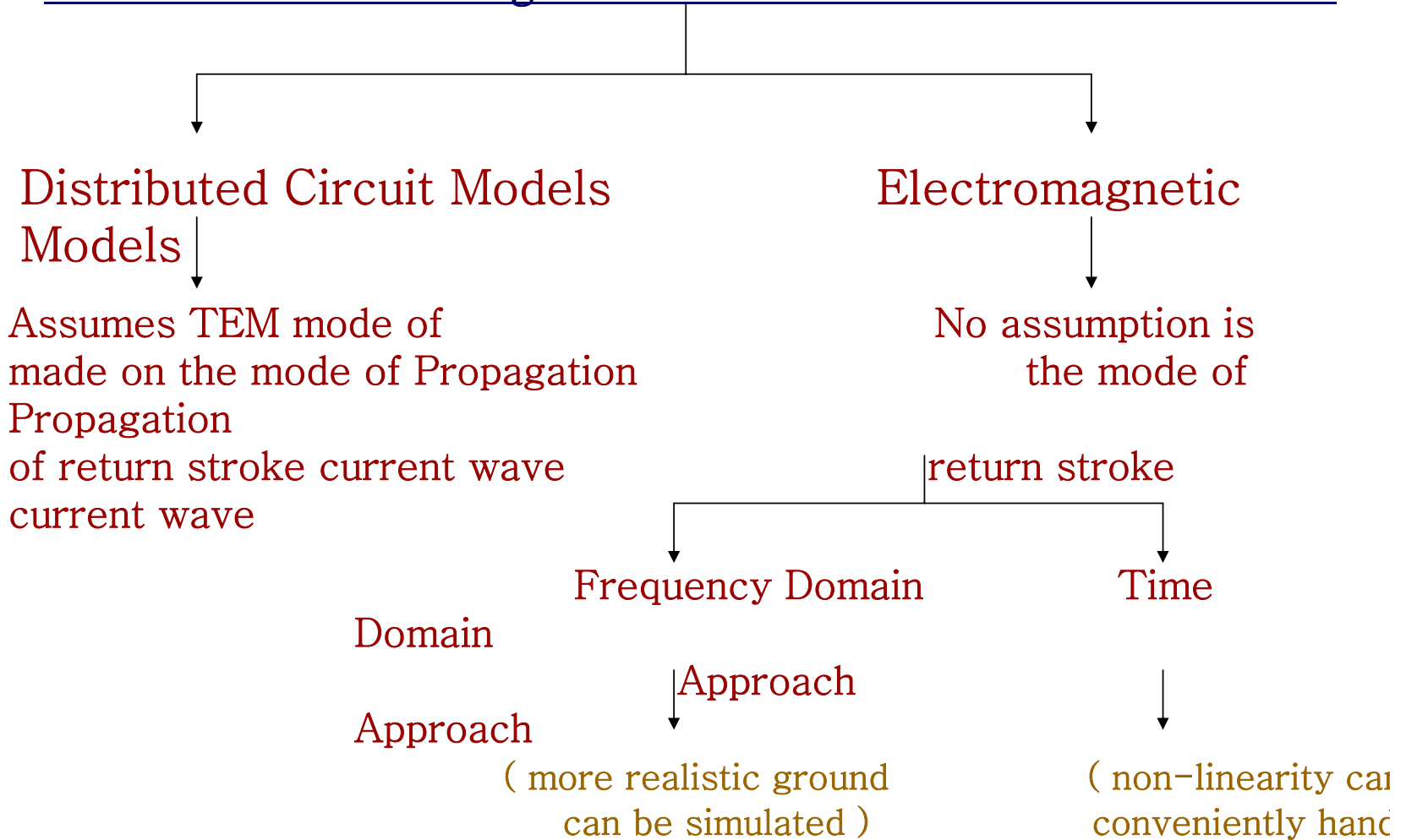
Need for Return Stroke Modeling

- better understanding of the phenomenon
- to study the interaction of lightning with tall ground based objects
- analysis and design of adequate LPS

Need For Theoretical Model

- Field Experimentation – extremely difficult
- Laboratory Experimentation – highly impractical

Models for Simulating Evolution of Return Stroke Current



Essential Aspects of Return Stroke Evolution

- Electric field due to charges deposited on the channel forms the excitation
- Transient enhancement of conductance by several orders at the bridging zone initiates return stroke
- Non-linear variation of channel conductance is responsible for the evolution of return stroke current
- The proper accounting of associated dynamic electromagnetic field
- ❖ Such a modeling has been recently proposed in ICLP – 2008 & OAASJ (2008, vol. 2, 261–270)

Assumptions

- Only axi-symmetric geometry is considered
- Only stroke to ground is considered
- Lightning channel without any branches
- Cloud dynamics is neglected
- Explicit reference to dynamically varying channel radius,
temperature and the air density is not made
- Earth is considered to be perfectly conducting

Parameter Values used in the Model

- 1) Streamer gradient (E_{str}) = 400 kV/m
- 2) Leader gradient (E_{leader}) = 6 kV/m
- 3) Steady -state arc gradient (E_{∞}) = 200 V / m
- 4) Arc time constant for rising current (θ_r) = 50 μ s
- 5) Arc time constant for falling current (θ_f) = 500 μ s
- 6) Leader Section Conductance
min. value = 0.0167 S/m, max. value = 0.75 S/m
- 7) Streamer Section Conductance
min. value (g_{ms}) = 0.25 mS/m
- 8) Conductivity of corona sheath (σ) = 40 μ S/m
- 9) segment length = 5 m. time step = 16.67 μ s



Effect of Channel Conductance

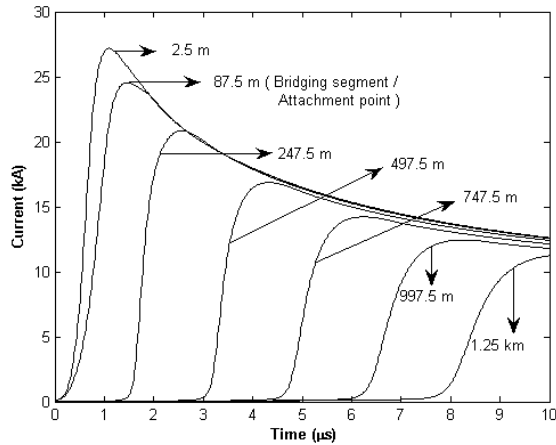
- Without switching to non-linear change in conductance – current builds up simultaneously everywhere
- Fixed value of conductance does not lead to reduction in velocity but current decay to some extent

Loading (Ω/m)	Decay rate of current at 2.25 km / 1 km	Velocity (m/s)
0	(%)	c *
0.1	11	c
0.2	16	c
0.35	21	c
0.5	25.6	c
1.174	51.5	c
2	61.5	c

* c = velocity of light in vacuum

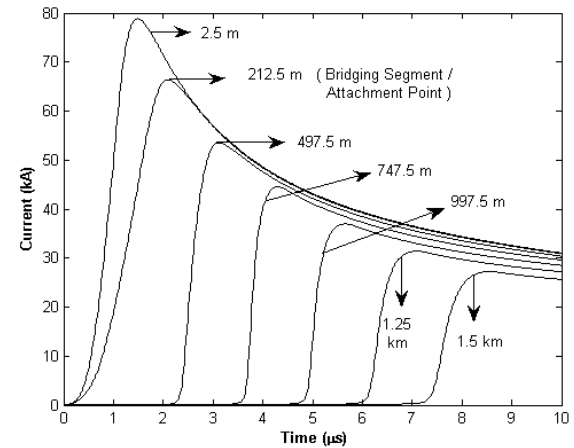
Role of Non-Linear Channel Conductance (without Corona Sheath)

(Field due to the initial charge distribution is the source)

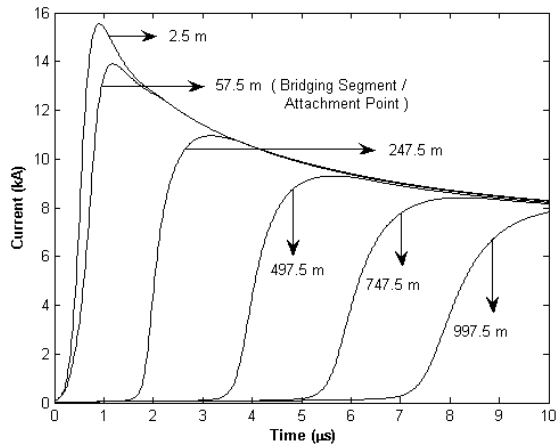


(a) Cloud Base Potential = 50 MV

channel length = 2.5 km

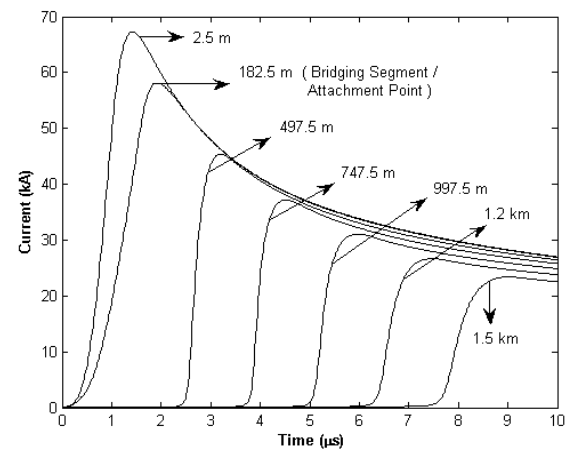


(b) Cloud Base Potential = 100 MV



(a) Cloud Base Potential = 50 MV

channel length = 4.5 km



(b) Cloud Base Potential = 100 MV



Observations :

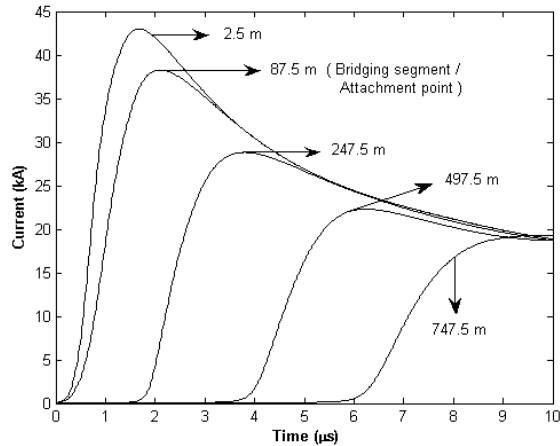
- Current evolution could be seen
- Wave shape is satisfactory

Channel Length (km)	Cloud Base Potential (MV)	Peak current magnitude at 1 km from ground (kA)	Velocity *
2.5	50	12.46 (49.3 %)	0.52c
	100	36.99 (44.2 %)	0.6c
4.5	50	8.01 (42.4 %)	0.45c
	100	31.08 (46.5%)	0.59c

- Velocity & current decay rate is calculated using Bridging segment as reference segment

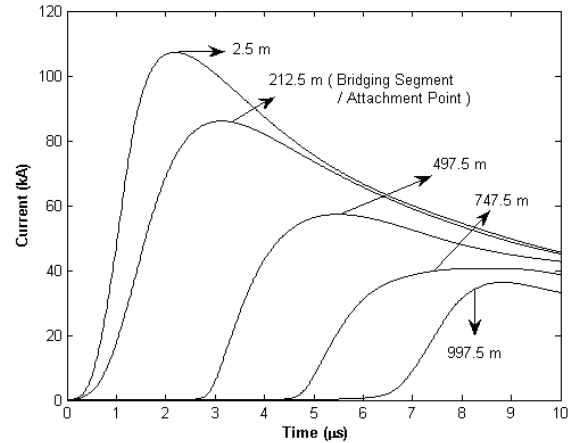
Role of Corona Sheath and Conductance

(Field due to the initial charge distribution is the source)

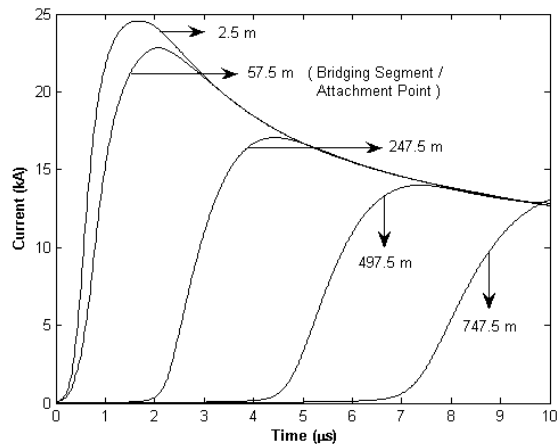


(a) Cloud Base Potential = 50 MV

channel length = 2.5 km

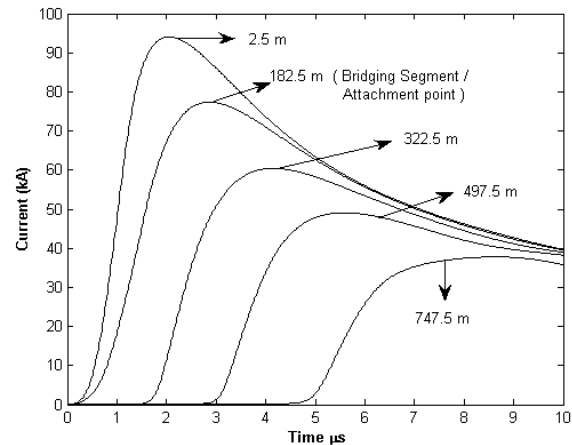


(b) Cloud Base Potential = 100 MV



(a) Cloud Base Potential = 50 MV

channel length = 4.5 km



(b) Cloud Base Potential = 100 MV



Observations :

- Peak magnitude of current has increased
- Velocity of current wave has decreased
- Rise time of Current (10 – 90 %) has increased

Channel Length (km)	Cloud Base Potential (MV)	Peak current magnitude at 750 m from ground (kA)	Velocity
2.5	50	19.25 (49.7 %)	0.39c
	100	40.62 (52.8 %)	0.44c
4.5	50	13.07 (42.8 %)	0.34c
	100	37.79 (51.2 %)	0.43c

Summary

- The role of channel conductance and diffusion of charge to corona sheath on return stroke current evolution has been investigated using a new class of electromagnetic model
- The non-linearly varying channel conductance is shown to be mainly responsible for the spatio-temporal building of current
- The charge diffusion to corona sheath leads to slowing down of the current wave but produces an increase

Thank You

References

- 1) Berger K. The Earth Flash. In: Golde RH, Ed. Lightning, Part 1-Physics of Lightning: Academic Press; 1977
- 2) Ohta T, Nakano T, Murooka Y, "Electric field distributions in long gap discharges", 8th ISH, Yokohoma, 1993; pp. 44.08
- 3) Farouk AMR, "A model for switching impulse leader inception and breakdown of long air-gaps", IEEE Trans Power Deliv 1989; 4(1): 596-606
- 4) Hutzler B, Hutzler-Barre D., " Leader propagation model for determination of switching surge flashover voltage of large air gaps", IEEE Trans Power Ap Syst 1978; 97: 1087-96
- 5) Huamao Z, Fuchang L, Xiaoyu W., " Lightning shielding of transmission line and lightning stroke simulation model", Annual report conference on electrical insulation and dielectric phenomena; 2001
- 6) George NO., " Computation of the diameter of a lightning return stroke", J Geophys Resvol 1968; 73(6): 1889-96
- 7) Johns AT, Aggarwal RK, Song YH., "Improved techniques for modeling fault arcs on faulted EHV transmission systems",. IEE Proc. Gen Transmission Distribution 1994; 141(2): 148-54
- 8) Udaya K, Rosy B R, Dileepkumar K P., "Direct Time Domain Modeling of First Return Stroke of Lightning", 29th International Conference on Lightning Protection (ICLP-2008): Uppsala, Sweden 2008
- 9) Lightning and Insulator Subcommittee of the T&D Committee., "Parameters of Lightning Strokes: A Review", IEEE Trans Power Deliv 2005; 20(1): 346-58



- 10) Berger K, Anderson RB, Kröninger H., “ Parameters of lightning flashes”, *Electra* 1975; 41: 23-37
- 11) Douglas M J, Uman M A, “ Variation in light intensity with height and time from subsequent lightning return strokes. *J Geophys Res.* 1983; 88(C11): 6555-62
- 12) Douglas M M, David W R., “ Photoelectric return stroke velocity and peak current estimates in natural and triggered lightning”, *J Geophys. Res* 1989; 94 (D11): 13237-47
- 13) Miller E K, Poggio A J, Burke G J., An integral equation technique for the time-domain analysis of thin wire structures. I. The numerical method. *J Comput Phys* 1973; 12: 24-48
- 14) Poggio A J, Miller E K, Burke G J., An integro-differential equation technique for the time-domain analysis of thin wire structures. II. Numerical results. *J Comput Phys* 1973; 12: 210-33

